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### Graphical representation of data

- 1. when data is quantitatively represented through chart and diagrams.
- 2. to show the relative position of different subdivision/sub-data.

#### advantages

- o Easlily understood, easy intrepretation.
- More attractive
- Useful in comparing religionship between two or more sets of figures.
- Enable statistical problems in a visual form.

#### types

- Intimate Antidation of Antidat

Graphical representation of ungrouped data

can be represented by using

- 1.Line graph.
- o 2. Bar graph/bar diagram
- 3. Circle graph/pie diagrams
- 4. pictograms entro

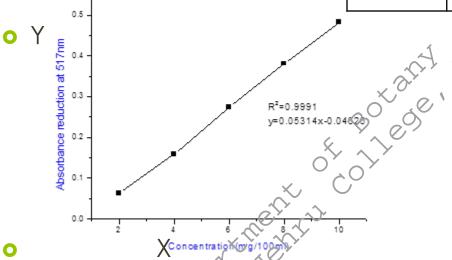
#### Line graph/graph

- Most common graphical representation
- By plotting X axis on horizon ally while Y axis vertically.
  Find out the intersecting point or origin
- Find out the intersecting point or origin and join all intersections.
- Example: cricket score in each over.

#### Line graph

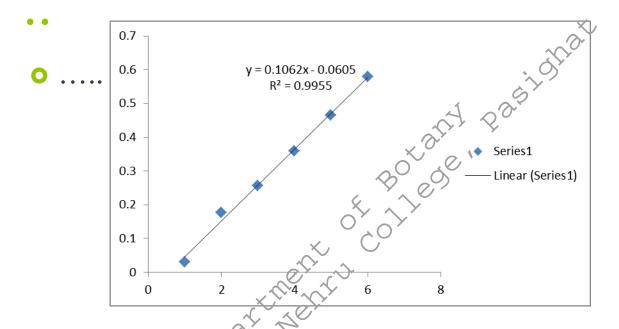
 Concentration in mg/100ml
 2
 4
 6
 8
 10

 Absorbance at 517nm
 0.0634
 0.1595
 0..2747
 0.3815
 0.4838



• Graph shows absorvance VS concentartion of DPPH

Glucose star	ndard
0ml	0.030192
.2ml	0.17599
.4ml	0.25736
.6ml	0.35854
.8ml	0.46592
1ml	0.5796



• Graph shows Concentration of glucose Vs absorbance

**Example 1.** A word-nonsense syllables association test was administered on a student of class X to demonstrate the effect of practice on learning. The data so obtained may be studied from the following table.

Trial No.	1	2	3	4	5	6	7	8	9	10	11	12
Score											16	

Draw a line graph for the representation and interpretation of the above data.

Solution. Plot the points (1, 4), (2, 5), (2, 8), (4, 8), (5, 10), (6, 13), (7, 12), (8, 10), (9, 14) and (10, 16).

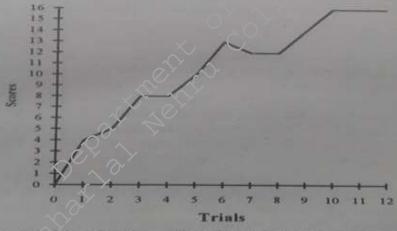


Fig. 4.1. Line Graph — The effect of practice on learning

Bar diagram

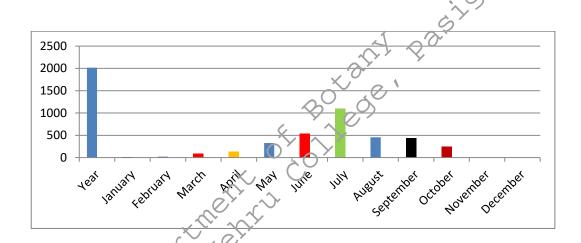


Figure 2.7: Monthly rain fall (mm) in East Siang District in the year 2013.

Source: HYDROMET DIVISION, NEW INDIA METEOROLOGICAL DEPARTMENT, Govt. of India, Ministry of Earth Science.

## Simple Bar diagram only one variable can be represented.

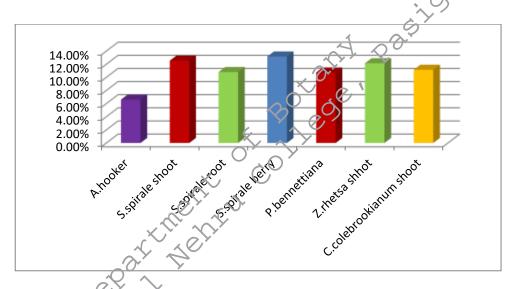
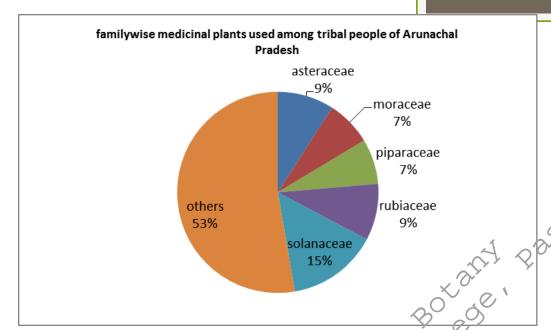


Fig: 6.22: Total ash content.

#### Multiple bar diagram

many variables can be represented





Asteraceae	5
Moraceae	4
Piperaceae	4
Rubiaceae	5
Solanaceae	8
Others	29

Value of one component  $\times 360$ Angle = Total of all the components

Pie diagram for medicinal plants out of 55 family Eg: asteraceae: 5/55 then multiply by 3.6

- Step I. Plot a circle of appropriate size with protractor, pencil and compass. The angles of a circle total 360°.
- Step II. Convert the given value of the components of an item in percentage of the total value of the item.
- Step III. In laying out the sector for a pie chara it is logical to adopt the common procedure to arrange sectors according to size with the largest at the top and the others in sequence running clockwise.
- Step IV. Transpose the various component values correspond to the degree on the circle. Since 100% is represented by 360° angle the centre of the circle, therefore, 1% value is represented by 360° / 100 = 3.6°. If 8 be the percentage of a certain component, the angle which represent the percentage of such component is (3.6 × 8) degrees.
- Step V. Measure with protector the points on a circle representing the size of each sector.

#### Pie chart

- o Is a circular graph that represent total value in circle and components in part wise.
- Useful in comparing components and total value.
- Data is expressed in percentage of total value.
- The total value is equated as 360 degree.

#### Example: Marks obtained in test examination by a Bioscience students of Serampore College.

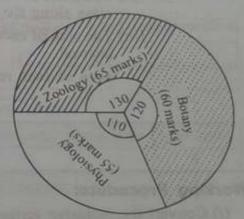
Zoology	Botany	Physiology
65	60	55 <

Solution: Total number of components

$$= 65 + 60 + 55 = 180.$$

Subject	Marks obtained	Angle
Zoology	65	$\frac{65}{180} \times 360 = 130^{\circ}$
Botany	60	$\frac{60}{130} \times 360 = 120^{\circ}$
Physiology	55	$\sqrt{\frac{55}{180}} \times 360 = 110^{\circ}$





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Fig. 3.6 Pie chart showing marks of three subjects

#### pictogram

o Data is represented by picture at the policy of the poli

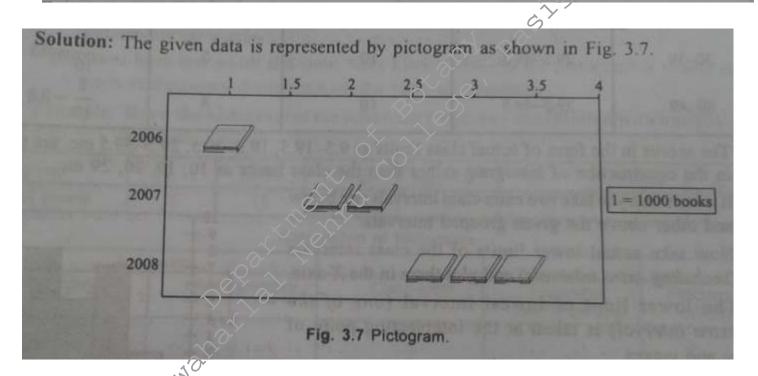
#### pictogram

Pictogram: It is a popular method of representing statistical data in pictures.

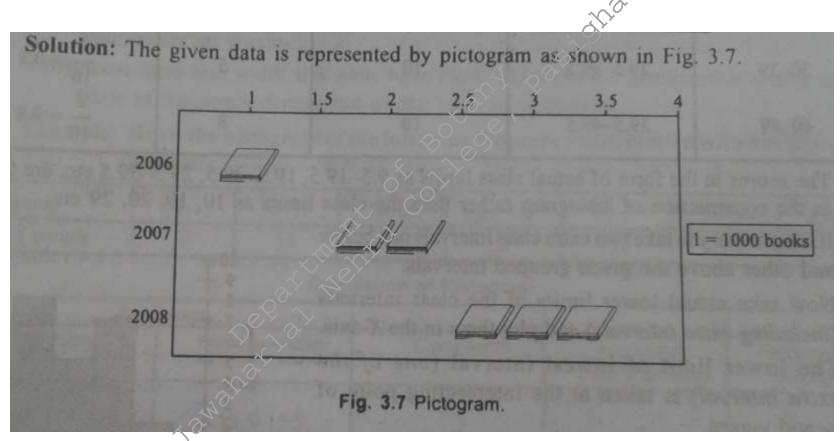
- (i) In pictogram a number of pictures of equal size and definite numerical value are drawn.
- (ii) Each picture represents a number of units.
- (iii) Pictures are draw side horizontally or vertically.
- (iv) It is widely used public and private sector.

Represent the following data of the production of books (Biostatistics) from S. Chand & Company.

Year	2006	2007	2008
Production of books	1000	2000	3000



#### pictogram



#### Graphical representation of grouped data

Can be represented by using:

- Histogram
- Frequency polygonal
- Cumulative frequency curve or ogive
- Ratio diagram/ arithlog
- o Graphical representation of ungrouped data

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#### histogram

- Histogram is represented by a rectangular bar to depict frequency distribution.
- Size of the class interval is represented by width
- Size of the frequency is represented by height.
- Class boundaries/intervals is important in the construction of histogram and represent in horizontal or X axis of the graph.
- Frequency is represented as height in the graph on Y axis.
- Histogram is essentially an area diagram composed of series of adjacent ractangles.

#### Steps/procedure of histogram

age	10-19	20-29	30-39	40-49
No. of class	1	0	1	<u>~</u> 10

- o If data is given in inclusive series, convert data into exclusive series.
- o It is customary to take two extra class intervals one below and another above the given class.

	age	35-19.5	19.5-29.5	29.5-39.5	39.5-49.5
0.	No.of	15,0	0	1	10
	class	10.0°			

- Take actual lower limit of class intervals and plot it in X axis
- Then take the corresponding frequency and construct graph by joining lower and higher limit of class interval and frequency of that class intervals.

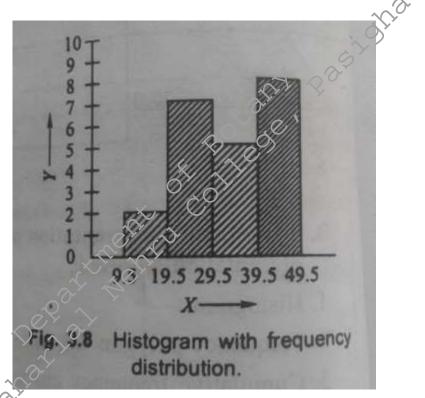
# Example of inclusive data

	inc	lusiva serie		
Age	10-19	20-29	30-39	40-49
Frequency	2	<b>√</b> 7	5	8

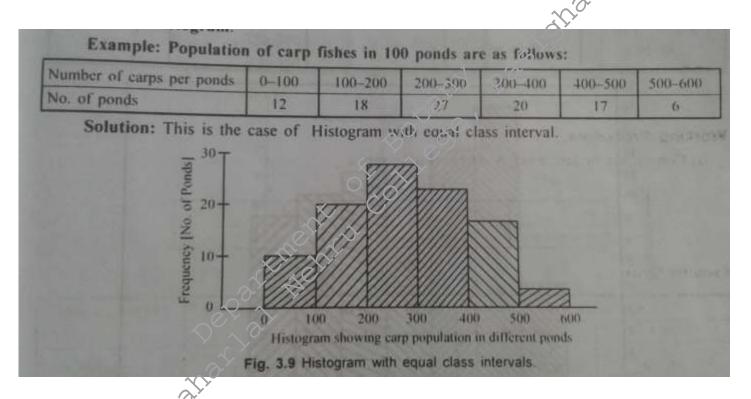
# Convert inclusive data into exclusive data

Age (cl	ass interval)	Size of Interval	Empungar	
Score limit	True limit	\$ 20	Frequency	Frequency den
10-19	9.5-19.5	10	2	2 = 0.2
20–29	19.5-29.5	10	7	$\frac{10}{7} = 0.7$
30–39	29.5–39.5	10		10 -
40-49	39 5 49.5	10		$\frac{10}{10} = 0.5$

Draw graph



# If data is equal class intervals, directly construct histogram



#### Frequency polygon

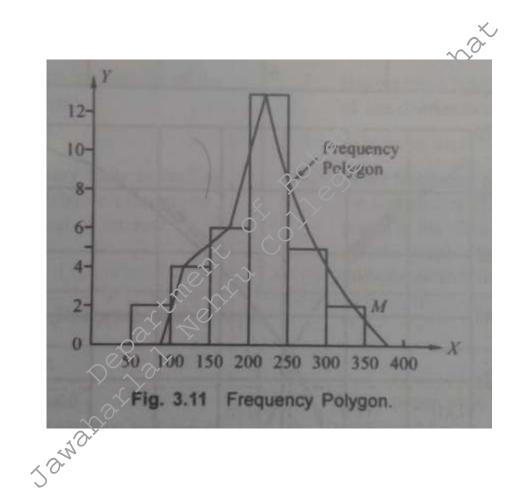
- A curve obtained by joining the middle of the histograms starts from (highest) histogram to immediate lower histogram successively and form into a figure with a many angles or polygon.
- o It is used, where class intervals are equal with discrete (not joined) variables.
- o It gives idea about the shape of the frequency distribution.

#### Example: Construct a histogram and frequency polygon for the following data:

100-150 150-200	200-250	250-300	300-350
4 6.	13	5	2

Solution: We have the case of equal class interval.

Class Interval	Frequency	C.F.
100-150	4	4
150-200 🗸	6	10
200-250	13	23
250-500	5	28
20-350	2	30



#### Ogive/comulative frequency

- It is a graph to represent data of complative frequency distribution.
- o Ogive gives a curve form groph.
- When the curve is drawn from the comulated data downward, it is called less than ogive (table) while when curve is drawn from the comulated upward, it is called more than ogive.
- o It is an important grown to find out median.
- Upper limits (class intervals ) are presented along X axis.
- o Comulative fréquencies are presented along Y axi

**Example 14.** Draw a cumulative frequency graph and estimate the number of persons between the ages 32 — 42 in the following table:

Age	20 25	25-30	30-35	35-40	40-45	45-50	50-55	55-60
No. of persons	50	70	100	180	150	120	70	59

Class-interval (Age)	Class-boundary (Age)	(No. of average	(Less than Ogive)
	20		0
20 25	25	0 (30	50
25 — 30	30	70	120
30-35	35	100	- 220
35-40	40	180	400
40 — 45		150	550
45 50	56	120	670
50 — 55	35	70	740
55-60	60	59	799
	X	799	

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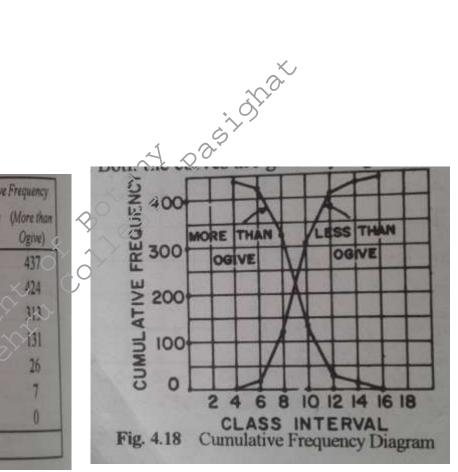
#### Example 15. Plot less than Ogive and more than Ogive for the following data:

Cost of production	4-6	6-8	8 — 10	10 — 12	12 — 14	14-16
No. of farms	13	111	182	105	(19	7

Class interval	Class boundary	Frequency	Camulative Frequency		
(Cost of production)		(No. of farms)	(Less than Ogive)	(More than Ogive)	
	4	(O)	0	437	
4-6	6	13	13	424	
6—8	8	0 111	124	313	
8-10	10	182	306	131	
10 — 12	Ja	105	411	26	
12 — 14	14	19	430	7	
14 — 16	16	7	437	0	
		437	100 100		

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Class interval	Class boundary	Frequency	Cumulative Frequency		
(Cost of production)		(No. of farms)	(Less than Ogive)	(More than Ogive)	
	4	0	0	437	
4-6	6	13	13	× 424	
6-8	8	111	12/0	) JKO	
8-10	10	182	× 306	CIII	
10-12	12	105	1	26	
12-14	14	68	430	7	
14-16	16	D. W.	437	0	
		Q431			



Comulative frequency column is important.

Class-interval (Age)	Class-boundary (Age)	Frequency (No. of persons)	Camulative Frequency (Less than Ogive)
	20	0	0
20-25	25	50	50
25-30	30	70	120
30-35	35	100	
35-40	40	180	(C) 400 (C)
40-45	45	150	
45-50	50		670
50-55	55	68 N	740
5560	60		799
		799	

